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# AutoEncoders and VAE

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#### Autoencoder

- A type of neural network that is trained to learn a compressed representation of input data and generate output matching the input
- Unsupervised learning

Encoder: Takes in the input data and maps it to a lower-dimensional latent space representation

Decoder: Takes the encoded representation and generates a reconstructed output that closely matches the original input

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#### Autoencoder



#### **Implementation and training**

- A sequence of linear or convolutional layers
- Decoder is often a mirror of Encoder

Training objective: Minimize the difference between inputs and outputs Loss function: MSE Loss, L1 Loss, Binary CrossEntropy Loss (for [0,1] data)



## Applications

- Feature Extraction/Dimension Reduction
- Data Denoising
  - Input data with noise, calculate loss on clean data and output
- Anomaly Detection
  - Detect inputs with high loss values

## **Drawbacks of the AE**

Limitations of the Auto Encoder :

- 1. Limited control over the latent space representation
- 2. Overfitting
- 3. Generation not Possible



An Auto Encoder but better

**Aim** : Learn the data distribution of the input data

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## Why?

- 1. Data and Image Generation
- 2. Data Compression
- 3. Anomaly Detection



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### Loss Function

$$\mathcal{L}(\boldsymbol{\theta}, \boldsymbol{\phi}; \mathbf{x}^{(i)}) = -D_{KL}(q_{\boldsymbol{\phi}}(\mathbf{z} | \mathbf{x}^{(i)}) | | p_{\boldsymbol{\theta}}(\mathbf{z})) + \mathbb{E}_{q_{\boldsymbol{\phi}}(\mathbf{z} | \mathbf{x}^{(i)})} \left[ \log p_{\boldsymbol{\theta}}(\mathbf{x}^{(i)} | \mathbf{z}) \right]$$

First Term : Forcing latent vector distribution to be Normal(0, 1)

Second Term : Reconstruction Loss



• VAEs are probabilistic models to learn data distribution

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- Map inputs to a probability distribution
- Objective is to maximize the evidence lower bound (ELBO) : NLL of Data
- Allows learning of a structured latent space representation



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**Re-parametrization Trick** 

Sampled Vector : Mean Vector + Std deviation vector x Noise

Sampled Vector :  $\boldsymbol{\mu} + \boldsymbol{\sigma} \times \boldsymbol{\epsilon}$ 





Issues with AE :

1. Latent Space is unstructured and difficult to interpret **SOLUTION** : Map it to a Normal distribution



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#### Issues with AE : 2. Overfitting **SOLUTION** : Normal Distribution mapping restricts freedom



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#### Issues with AE : 3. Data Generation? **SOLUTION** : Give a normal sampled vector as an input to the decoder

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